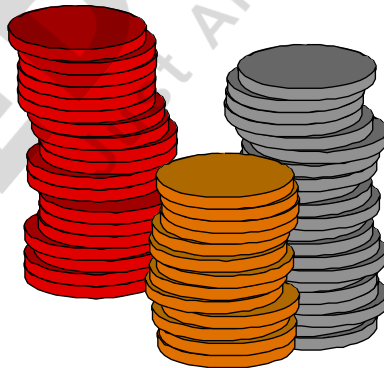


# STACKS



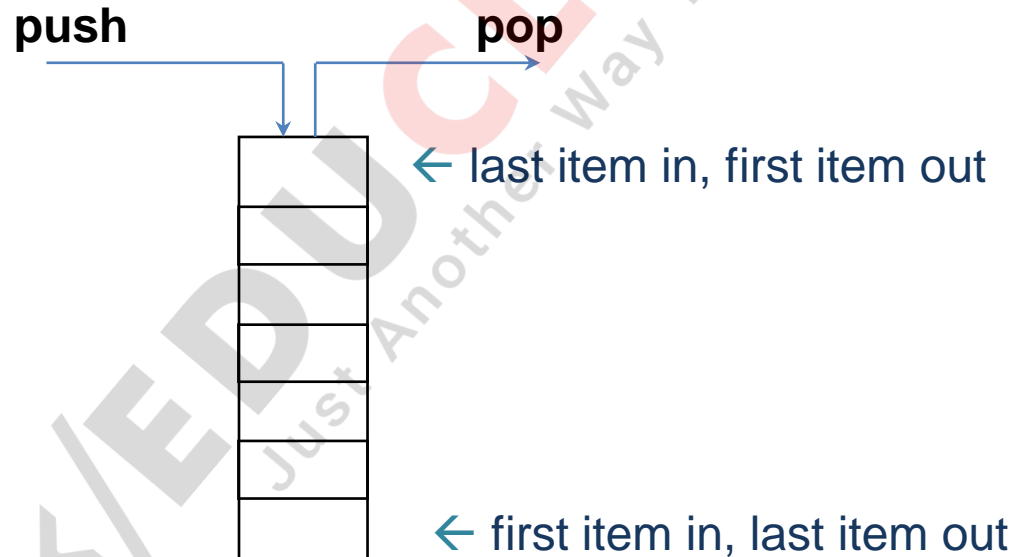
# What is a stack?

- Stores a set of elements in a particular order
- Stack principle: **LAST IN FIRST OUT** = **LIFO**  
i.e the last element inserted is the first one to be removed
- Example
  - Stack of plates
  - Stack of coins



# stack data structure

Stacks often are drawn vertically:



# Basic Stack Operations

- Push:
  - Adds an item at the top of the stack.
  - If the stack is full, no more data can be added to the stack and the stack is said to be in the **overflow state**.
  - Diagram



# Algorithm to push data into stack

Algorithm push(struct stack \*s , int item)

To push the data into the stack using array implementation

pre: struct stack \*s : pointer to the stack structure

item : data to be pushed in the stack

post: push the data into the array

1. if  $s \rightarrow \text{top} = \text{ARR} - 1$   
display "STACK IS FULL"  
return
2. [increment top by 1]  
 $s \rightarrow \text{top}++$
3. [insert data into the stack]  
 $s \rightarrow a[s \rightarrow \text{top}] = \text{item}$   
count = count + 1

# Basic Stack Operations

- Pop:
  - Removes an item at the top of the stack.
  - When the last item is deleted, the stack must be set to **empty state**. If pop() is called when the stack is empty, it is said to be in the **underflow state**.
  - Diagram



# Algorithm to pop data from the stack

Algorithm `int pop(struct stack *s)`

pre : To pop the data from the stack using array implementation

struct stack \*s : pointer to the stack structure

post : return the popped data to the main()

return data

1. [declare a variable]

int data

2. if `s->top == -1`

return NULL

3. [remove data from the top of the stack]

`data = s->a[s->top]`

`s->top--`

count--

return data

# Basic Stack Operations

- Stack top or peep
  - It returns the data at the top of the stack but does not delete it. i.e it only reads the data.
  - if the stack is empty, stack top can result in **underflow state**.





# Algorithm to peep/read data from the stack

Algorithm `int peep(struct stack *s)`

To peep/read the data from the stack using array implementation

pre: `struct stack *s` : pointer to the stack structure

post: return the peeped data to the `main()`

Return data

Refer to `pop()` algorithm and make the necessary changes



# Algorithm to display the stack

Algorithm displaystack(struct stack \*s)

Pre : struct stack \*s : pointer to the stack structure

post : Display the contents of the stack

1.[intialize]

int x=count;

2. Repeat while  $x \geq 0$

1 . Display  $s \rightarrow a[x]$

2.  $x--;$

## Application of stacks

- Region in memory within which the programs temporarily store data as they execute.
- Evaluation of expressions:
  - Process of writing the operators of an expression either before their operands or after their operands is called as “polish notation”
  - 3 forms of polish notation
    - Prefix form : the operators come before operands
    - Postfix form : the operators come after operands
    - Infix form: the operator come in between operands

# Algorithm for converting infix to postfix

Algorithm infix\_to\_postfix()

1. Push "(" onto STACK and add ")" to the end of expression A.
2. Scan expression Q from left to right and repeat 1 to 6 for each element of Q until the stack is empty.
  1. If an operand is encountered, add it to Stack B
  2. If a "(" is encountered push it onto the stack A.
  3. If an operator is encountered then
    - A) if operator in the stack A has **same precedence or higher precedence than the operator encountered then**
      1. Repeatedly pop the operators from the STACK A and add to Stack B each operator
    - B) Add the encountered operator to STACK A.
  6. If ")" is encountered then
    - A) Repeatedly pop from the STACK A and add to B each operator (on the top of STACK) until a "(" is encountered.
    - B) Remove the "("

# Evaluation of postfix expression

Algorithm evaluate\_postfix()

1. createStack(stack)

2. Loop(for each character)

    If(character is operand)

1. PushStack(stack,character)

    else

1. set oper2= popStack(stack)

2. set oper1=popStack(stack)

3. operator=character

4. set value = calculate

        (oper1,operator,oper2)

5. pushStack(stack ,value)

    endif

end loop

3. result =popStack(stack)

4. Return result

End evaluate\_postfix

# Algorithm for converting infix to prefix

Algorithm infix\_to\_prefix(s[])

1. Get the infix expression s.

2. set i=0

3. Set top1=top2=-1, indicating stacks are empty.

4. If s[i]='(' , push it in stack1, go to step 8

5. If s[i]=operand , push it in stack2, go to step 8

6. If s[i]=operator

stack1 is empty or stack  
top elements has less  
priority as compared o  
s[i],

add operator to the stack1

go to step 8

else

p= pop the operator  
from the stack1

O2=pop the operand from  
stack2

O1=pop the operand from  
stack2

form the prefix expr  
p,O1,O2

push operator in stack2 and  
go to step 8

End if

Cont

# Algorithm for converting infix to prefix

7. If  $s[i] = ')'$  then

A)  $p = \text{pop}$  the operator  
from stack1

$O2 = \text{pop}$  the  
operand from  
stack2

$O1 = \text{pop}$  the  
operand from  
stack2  
form the prefix expr  
 $p, O1, O2$

push in stack2 and go to

step 7A

B)  
remove "("  
go to step 8

8. Increment  $i$

9. If  $s[i] \neq '\0'$  then go to step 4

10. Everytime pop one operator  
from stack1, pop 2 operands  
from stack 2, form the prefix  
expr,  $O1, O2$ , push in stack2  
and repeat till stack becomes  
empty.

11. Pop operand from stack2 and  
print it as expression

12. stop

## More Applications of stacks

- Parenthesis matching
- Towers of Hanoi
- Rearranging Railroad cars
- Switch box routing
- Rat in a maze



EDUCLASH  
Just Another Way To Learn